

# First Observation of Bottom Baryon $\Sigma_b$ States at CDF



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On behalf of

CDF Collaboration



P-25 Seminar

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**1 – Outline**

- Introduction: Heavy Baryons with HQET.
- Experimental Status.
- Principle of an Analysis.
- $b$ -Physics at Tevatron with CDF II detector.
- CDF II Triggers and Datasets involved.
  - ✓  $\Lambda_b^0$  base signal.
  - ✓ Reconstruction of  $\Sigma_b$  Candidates - Blind.
  - ✓ Opened Box.
  - ✓ Fits.
  - ✓ Systematics.
  - ✓ Significance.
- Summary.

## 2 – Multiplets of Heavy Baryons

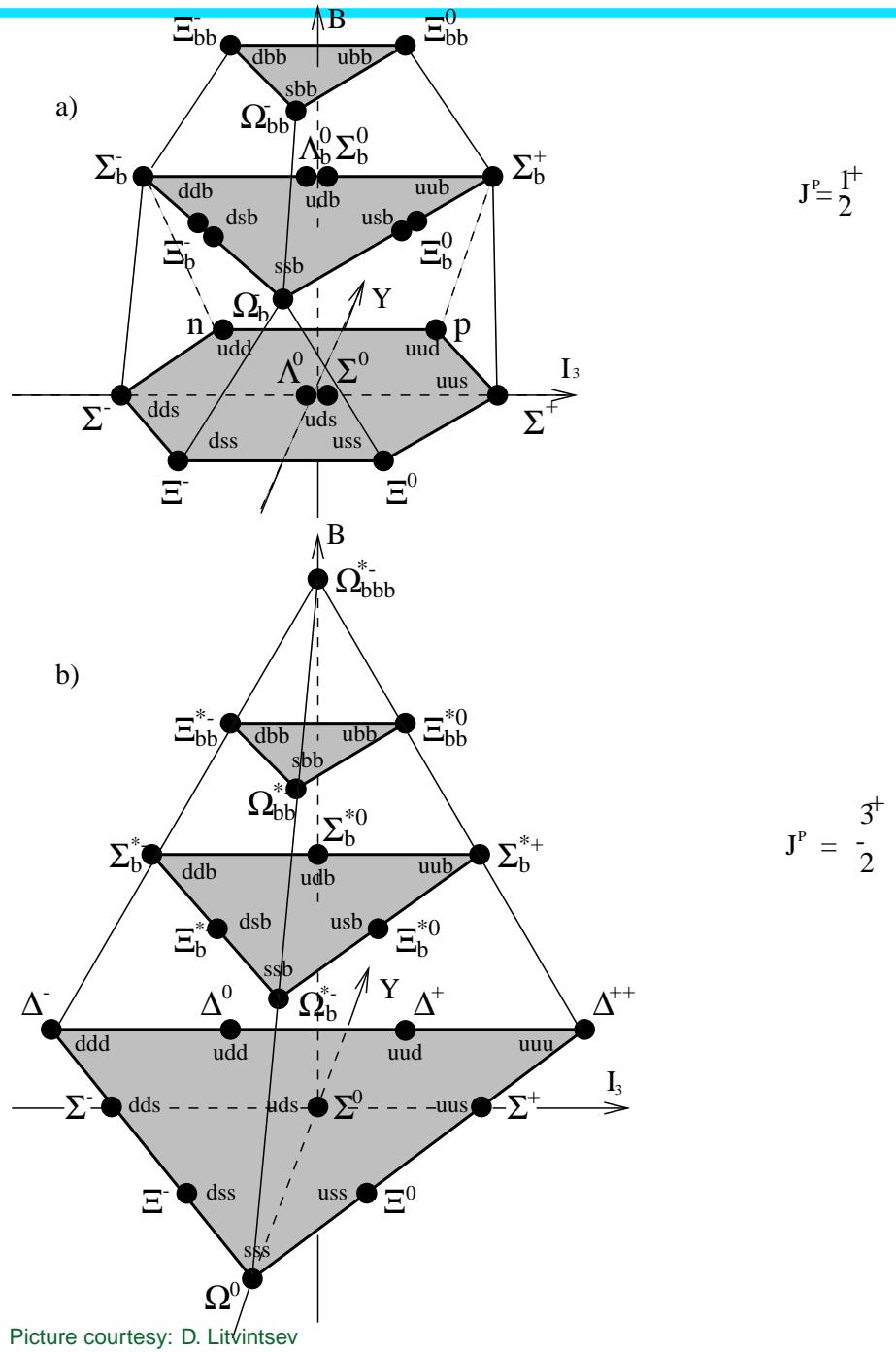
State	Quarks	$J^P$	$(I, I_3)$
<i>Ground Bottom Baryon States</i>			
$\Lambda_b^0$	$b[ud]$	$(1/2)^+$	$(0, 0)$
$\Sigma_b^+$	$buu$	$(1/2)^+$	$(1, +1)$
$\Sigma_b^0$	$b\{ud\}$	$(1/2)^+$	$(1, 0)$
$\Sigma_b^-$	$bdd$	$(1/2)^+$	$(1, -1)$
$\Sigma_b^{*+}$	$buu$	$(3/2)^+$	$(1, +1)$
$\Sigma_b^{*0}$	$b\{ud\}$	$(3/2)^+$	$(1, 0)$
$\Sigma_b^{*-}$	$bdd$	$(3/2)^+$	$(1, -1)$
<i>Orbital P- wave Bottom Baryon States</i>			
$\Lambda_b^{*0}$	$b[ud]$	$(1/2)^-$	$(0, 0)$
$\Lambda_b^{*0}$	$b[ud]$	$(3/2)^-$	$(0, 0)$

⇒ **Bottom baryon  $\Lambda$ - and  $\Sigma$ - states.**

- **Heavy Baryon quark content:**  
 $Q q_1 q_2$
- **The  $[q_1 q_2]$  denotes a pair antisymmetric in flavor and spin.**
- **The  $\{q_1 q_2\}$  denotes a pair symmetric in flavor and spin.**

## ⇒ Baryons: Bottom Sector

- Baryon:  $q f_1, q f_2, q f_3$
- Ordinary  $SU_f(3)$  with  $f_i \in u, d, s$
- Bottom  $SU_f(5)$  with  
 $f_i \in u, d, s, c, b$
- $Y \equiv \mathcal{B} + S - \frac{B}{3}$ , hypercharge.
- $B = -1$ , for  $b$ - quark.
  - $SU_f(3)$  “ground-state” (no orbital excitations!)
  - $SU_f(5)$  adds to “ground-states” additional floors along  $B$ -axis
  - do not consider here double “b-c” baryons like  $(q c b)$
- Up today established bottom ones:
  - ONLY  $\Lambda_b^0 \equiv b [u d]$



### 3 – Motivation for an Experimental Search on $\Sigma_b$

- Well established charm baryon sector.
- Wealth of experimental data on bottom  $B$ -mesons from  $e^+e^-$  and hadron beams.
- Yet only one bottom baryon, the  $\Lambda_b^0$ , has been directly observed:
  - $\Lambda_b^0 \rightarrow J/\psi \Lambda^0$
  - $\Lambda_b^0 \rightarrow \Lambda_c^+ \pi^-$
  - $\Lambda_b^0 \rightarrow \Lambda_c^+ \mu^- \bar{\nu}_\mu$
- World's largest data sample of bottom baryons at CDF...
  - $\sim 3000$ ,  $\Lambda_b^0 \rightarrow \Lambda_c^+ \pi^-$
- None of  $\Sigma_b$  states have been established so far.
- Excellent track resolution of CDF tracker ...
- precise vertex reconstruction by Si-Detector SVX II ...
- provide fine mass resolution and ...
  - make possible to observe  $\Sigma_b^{(*)\pm} \rightarrow \Lambda_b^0 \pi^\pm$

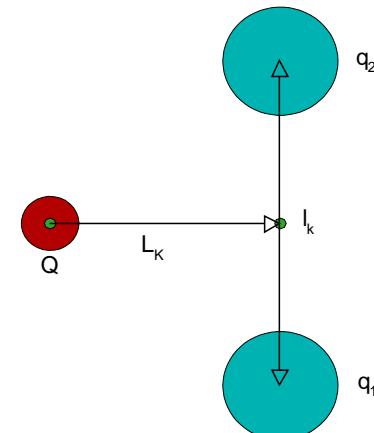
## 4 – Spectroscopy with QCD

### ⇒ H.Q.E.T. Phenomenology:

- QCD simplifies substantially in a presence of a heavy  $\mathbf{Q}$
- $m_Q \gg \Lambda_{\text{QCD}} \gg m_{qq}$ ,  $m_Q \simeq 4.8 \text{ GeV}$ ,  $\mathbf{Q} \equiv \mathbf{b}$
- $m_Q \rightarrow \infty$ : heavy quark spin **decouples** from light quark degrees of freedoms.
- Heavy baryons' properties are governed by the dynamics of the  $qq$  in a gluon field created by the  $\mathbf{Q}$  acting as a static source of QCD field:  $\Lambda_b^0$  baryon as a “helium atom” of QCD.
- **Ground states**,  $L_{qq} = 0$ 
  - Total  $qq$  spin  $s_{qq}$ :  $\frac{1}{2}^+ \otimes \frac{1}{2}^+ \rightarrow \mathbf{0}^+ \oplus \mathbf{1}^+$
  - $\mathbf{0}^+ \otimes \frac{1}{2}^+ \rightarrow \frac{1}{2}^+$ ,  $\Lambda_Q$ - like ground (i.e.  $L_{qq} = 0$ ) states
  - $\mathbf{1}^+ \otimes \frac{1}{2}^+ \rightarrow \frac{1}{2}^+ \oplus \frac{3}{2}^+$ ,  $\Sigma_Q$ - like ground states.

### ⇒ Heavy Q - Light ( $q_1 q_2$ )

$Qq_1q_2$  System: Orbital Angular Momenta.



$$\Rightarrow \mathbf{j}_{qq} = \mathbf{s}_{qq} + \mathbf{L}_{qq}$$

$$\Rightarrow \mathbf{J}_{Qqq} = \mathbf{s}_Q + \mathbf{j}_{qq}$$

⇒ Low Lying Bottom Baryons

⇒ Theoretical Expectations:

$\Sigma_b$ property	MeV/ $c^2$
$m(\Sigma_b) - m(\Lambda_b^0)$	<b>180 – 210</b>
$m(\Sigma_b^*) - m(\Sigma_b)$	<b>10 – 40</b>
$m(\Sigma_b^-) - m(\Sigma_b^+)$	<b>5 – 7</b>
$m(\Lambda_b^0)$ , fixed from CDF II	<b>5619.7</b> $\pm 1.2 \pm 1.2$
$\Gamma(\Sigma_b), \Gamma(\Sigma_b^*)$ see next slide...	$\sim 8, \sim 15$

⇒ HQET

⇒ Potential models

⇒  $1/N_c$  expansions

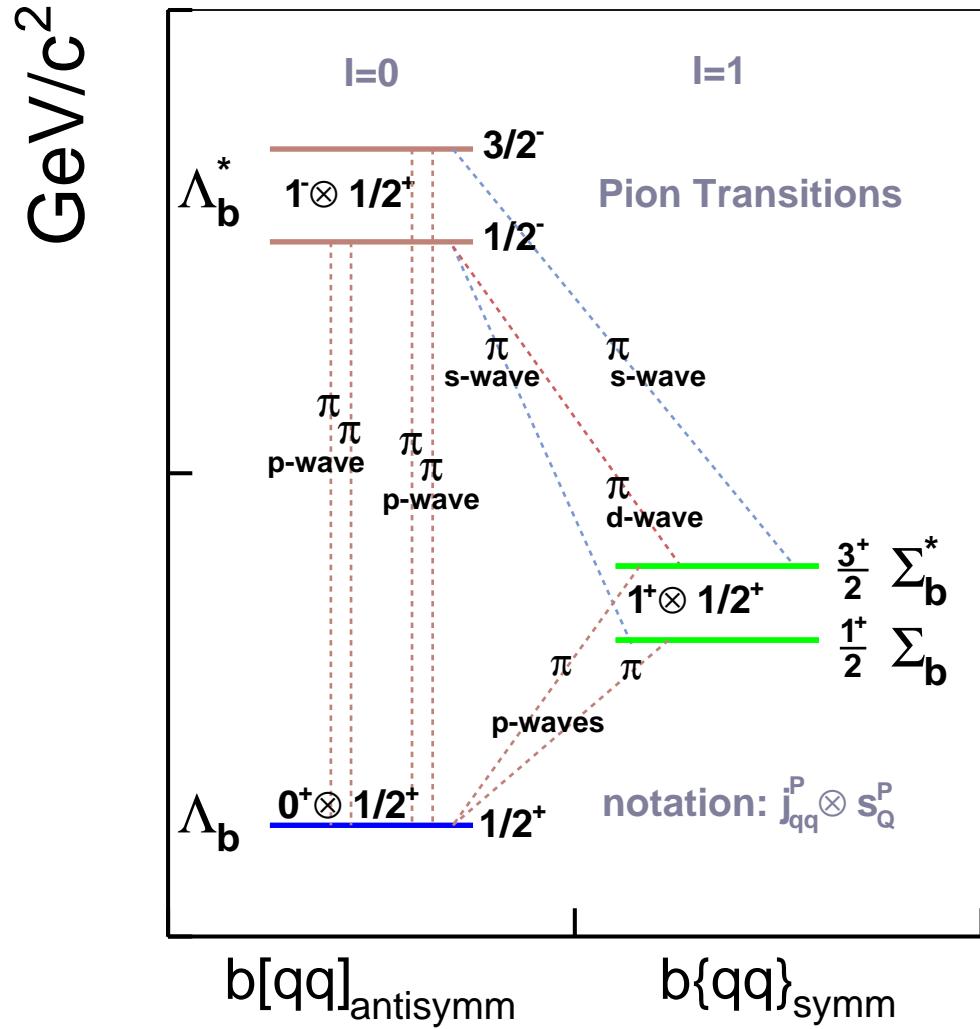
⇒ Lattice QCD calc.

- In a physics reality  $m_Q$  is finite.
- Degeneration of a  $\{\Sigma_b, \Sigma_b^*\}$  doublet is resolved by a hyperfine mass splitting.
- Isospin mass splitting within isotriplets  $\Sigma_b$  and  $\Sigma_b^*$ :
  - The size of the splitting is different  
(J. L. Rosner, hep-ph/0611207):  

$$(\Sigma_b^{*+} - \Sigma_b^{*-}) - (\Sigma_b^+ - \Sigma_b^-) = 0.40 \pm 0.07 \text{ MeV}/c^2.$$
- Contribution to the systematic uncertainty.

⇒ Pion Transitions into  $\Lambda_b^0$  Singlet.

- H.Q.E.T.: pion transitions are governed by the light diquark.
- Ground states (or  $S$ -wave)
 
$$\Sigma_b^{(*)\pm} \rightarrow \Lambda_b^0 \pi^\pm$$
  - single-  $\pi^\pm$  in  $P$ -wave with
 
$$\mathbf{q}\mathbf{q}(1^+) \rightarrow \mathbf{q}\mathbf{q}(0^+) + \pi_{0^-}^\pm \otimes 1^-$$
- Orbital states (or  $P$ -wave)
 
$$\Lambda_b^{*0} \rightarrow \Lambda_b^0 \pi^+ \pi^-$$
**given sufficient phase space.**
  - single-  $\pi^\pm$  are forbidden:
    - I- spin conservation.
    - parity conservation (strong decays!) (for  $\Lambda_b^{*0}(\frac{3}{2}^-)$  state)
  - 2-  $\pi^\pm$  in  $P$ -wave with
 
$$\mathbf{q}\mathbf{q}(1^-) \rightarrow \mathbf{q}\mathbf{q}(0^+) + (\pi^+ \pi^-)_1^-$$



## 5 – Natural Width of $\Sigma_b^{(*)\pm}$ Baryons

- $M(\Sigma_b^{(*)})$ (theor. pred.)  $\simeq M(\Lambda_b^0) + (180 - 210) \text{ MeV}/c^2$
- Dominated by single  $P$ -wave  $\pi_{\Sigma_Q}^-$  transitions.

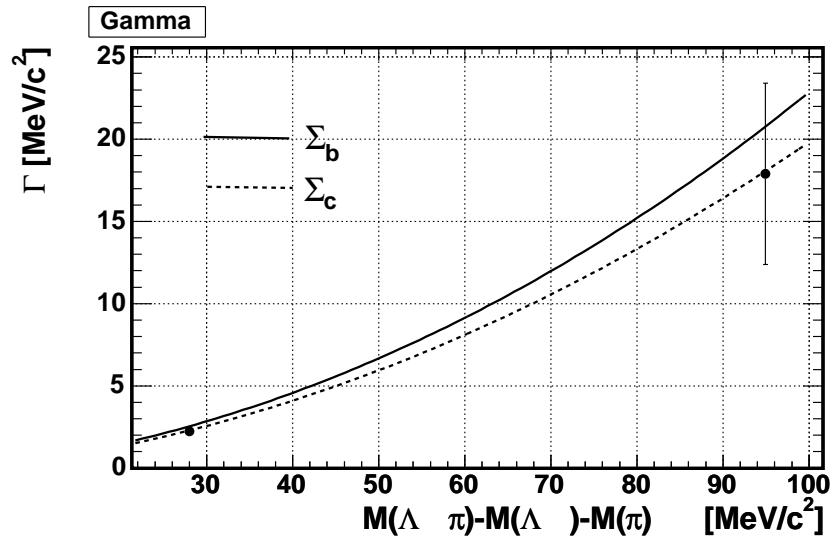
$$\Gamma_{\Sigma_Q \rightarrow \Lambda_Q \pi} \sim |\vec{p}_\pi|^{2L+1}, L = 1$$

$$\Gamma_{\Sigma_Q \rightarrow \Lambda_Q \pi} = \frac{1}{6\pi} \frac{M_{\Lambda_Q}}{M_{\Sigma_Q}} |f_p|^2 |\vec{p}_\pi|^3$$

$$f_p \equiv g_A/f_\pi; f_\pi = 92 \text{ MeV}; g_A = 0.75;$$

- depends from the phase space of  $\pi_{\Sigma_b}^\pm$
- **Excellent agreement with  $\Gamma_{\text{PDG}}(\Sigma_c^{(*)})$ .**
- **Fit to  $\Gamma_{\text{PDG}}(\Sigma_c^{(*)})$ :**  $g_A = 0.75 \pm 0.05$
- **$\pm 0.05$  contributes to our (syst) uncertainties.**

$\Rightarrow$  Natural width  $\Gamma$  of  $\Sigma_c$  and  $\Sigma_b$  baryons  
 $\Rightarrow$  as a function of the decay  $Q$ -value  
 $\Rightarrow Q = M(\Sigma_b) - M(\Lambda_b^0) - M(\pi)$



Using fitted  $g_A$  and  $M_{\text{CDF II}}(\Lambda_b^0)$ :

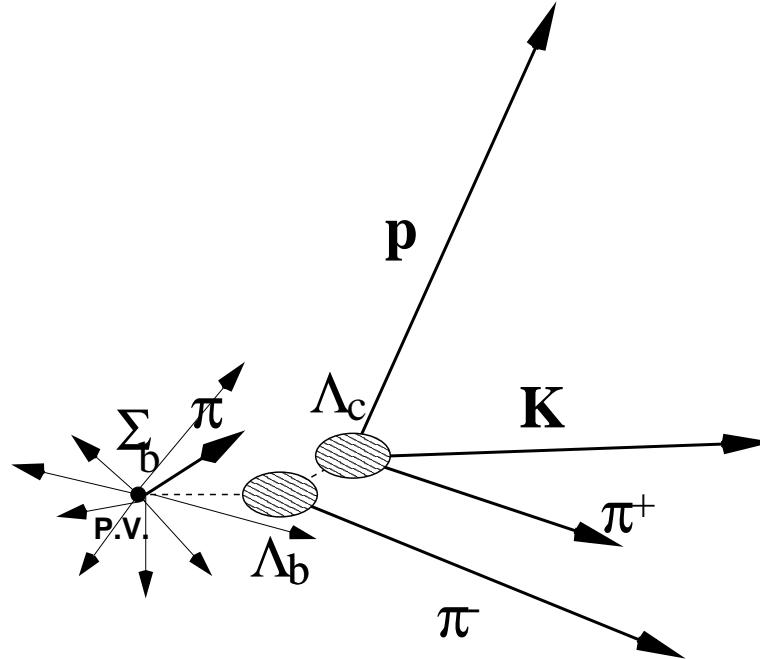
$$\Gamma(\Sigma_b) \approx 8 \text{ MeV}/c^2 \text{ and}$$

$$\Gamma(\Sigma_b^*) \approx 15 \text{ MeV}/c^2$$

## 6 – Principle of the Analysis

- Reconstruct  $\Lambda_b^0$  candidates:
  - $\Lambda_b^0 \rightarrow \Lambda_c^+ \pi^-$
  - with  $\Lambda_c^+ \rightarrow p K^- \pi^+$
- Candidates:  $\Sigma_b \rightarrow \Lambda_b^0 \pi_{\Sigma_b}^\pm$
- $\pi_{\Sigma_b}^\pm$ , soft track from Prim. Vtx....
- ...coming along with tracks from hadronization and underlying event
- To remove the mass resolution of each  $\Lambda_b^0$  candidate search for narrow signatures in spectrum:
- $Q = M(\Lambda_b^0 \pi_{\Sigma_b}^\pm) - M(\Lambda_b^0) - M_{PDG}(\pi^\pm)$
- Blind signal region, develop cuts...
- using the L/R.S.B. representing  $\Sigma_b$  background.

⇒ Topology of  $\Sigma_b$  event.



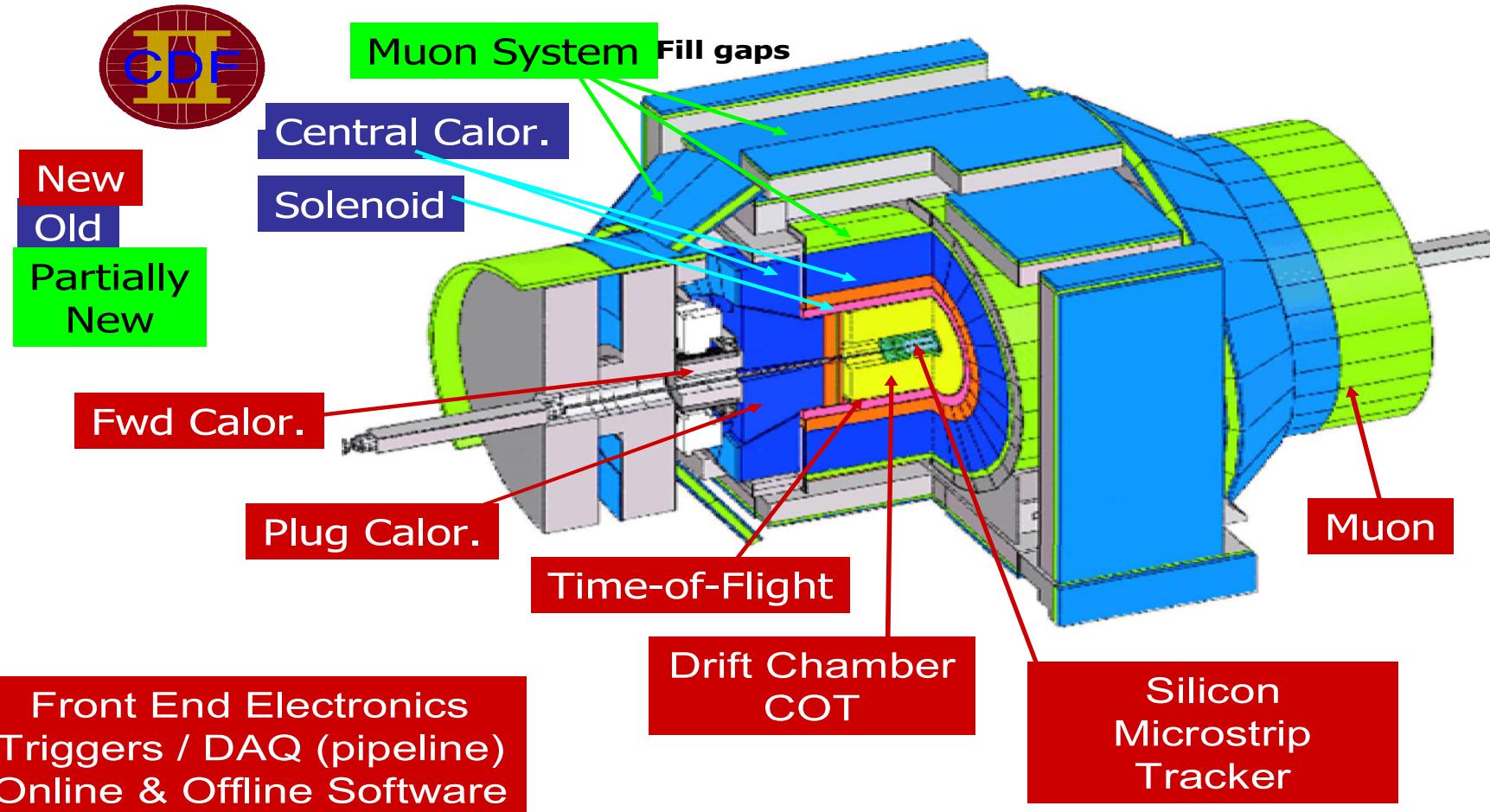
⇒  $B^0 \rightarrow D^+ \pi^-$  can fake  $\Lambda_c^+ \rightarrow p K^- \pi^+$

⇒ L.S.B.:  $0 \lesssim Q \lesssim 30 \text{ MeV}/c^2$

⇒ R.S.B.:  $100 \lesssim Q \lesssim 500 \text{ MeV}/c^2$ .

## 7 – CDF II Detector at Tevatron

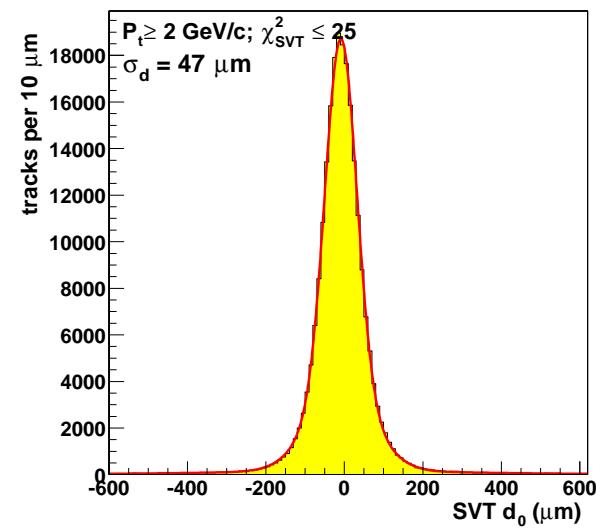
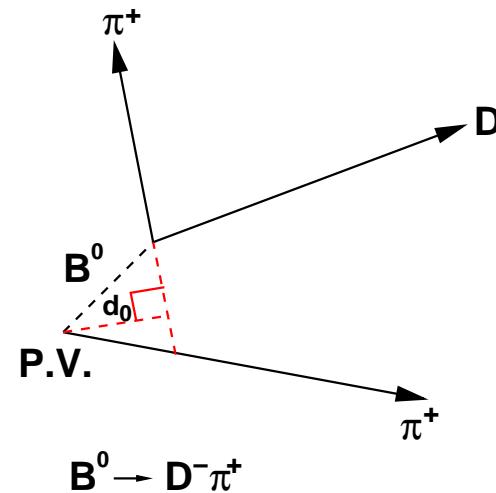
# CDF detector



⇒ Critical for our results: COT (central tracker) and SVX II (Si) vertex detector

## 8 – b- Physics Triggers in CDF II

- Enormous inelastic total cross- section of  $\sigma_{\text{tot}}^{\text{inel}} \sim 60 \text{ mb}$  at Tevatron.
- $\sigma_b \approx 20 \mu\text{b} (|\eta| < 1.0)$ , @1.96 TeV
- Selective three-level trigger.
- Trigger on Hadron Modes.
- Two displaced Tracks Trigger:
  - Exploits “long”  $C\tau$ (b-hadrons),
  - Triggers on  $\geq 2$  tracks with large  $d_0 > 120 \mu\text{m}$ ,
  - ...and with high  $p_T > 2.0 \text{ GeV}/c$ .
  - Realized by Silicon Vertex Trigger (SVT) hardware as a part of CDF Level 2
- Present  $\Sigma_b$  analysis, base mode:  
 $\Lambda_b^0 \rightarrow \Lambda_c^+ \pi_b^-$ ,  $\Lambda_c^+ \rightarrow p K^- \pi^+$ ,  
( $p, \pi_b^-$ ) are most likely in trigger.



## 9 – $\Lambda_b^0$ Candidates and Signal

⇒ Reconstruction of Candidates:

$$\Lambda_b^0 \rightarrow \Lambda_c^+ \pi_b^-, \Lambda_c^+ \rightarrow p K^- \pi^+$$

- The total Luminosity:  $\mathcal{L} \simeq 1.1 \text{ fb}^{-1}$

- "  $\Lambda_c^+$ "  $(pK^- \pi^+) \in (2286.0 \pm 16.0) \text{ MeV}/c^2$ ,  $(pK^- \pi^+)_\text{3DVxFit}, M = M_{PDG}^{\Lambda_c^+}]$

- "  $\Lambda_b^0$ "  $[(" \Lambda_c^+" ) \pi_b^-]_\text{3DVxFit}$ ,  $\text{Prob}(\chi^2_{3D}) > 0.1\%$

- proper decay times:

$$c\tau(\Lambda_b^0) > 250 \mu\text{m}$$

$$-70 < c\tau(\Lambda_c^+ \leftarrow \Lambda_b^0) < 200 \mu\text{m}$$

$$c\tau \equiv L_{xy} \cdot m_{\Lambda_Q} / p_T,$$

$$L_{xy} = \vec{D}_{xy} \cdot \vec{p_T} / p_T$$

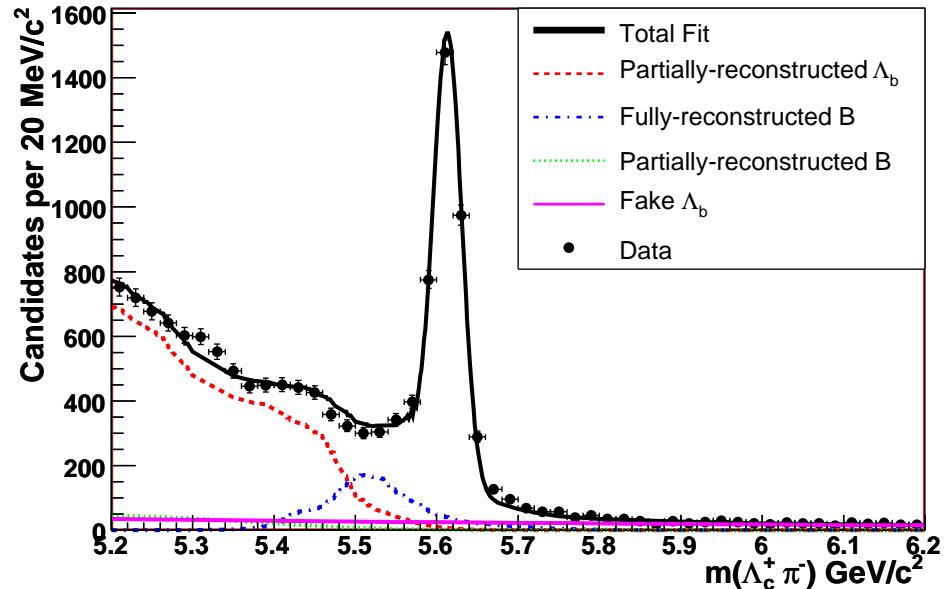
- impact parameter w.r.t. Primary Vx:

$$d_0(\Lambda_b^0) < 80 \mu\text{m}$$

$$d_0 = |\vec{D}_{xy} \times \vec{p_T}| / p_T$$

⇒ The  $\Lambda_b^0$  invariant Mass Plot

CDF II Preliminary,  $L=1.1 \text{ fb}^{-1}$



⇒ Binned Max. Neg.Log.Likelihood fit

⇒ Signal region:  $M(\Lambda_b^0) \in [5.565, 5.670] \text{ GeV}$

⇒ Combin. bgr.:  $M(\Lambda_b^0) \in [5.8, 7.0] \text{ GeV}$

⇒ Left S.B.: partially reconstr.  $\Lambda_b^0$ , 4-prong  $B$

⇒ The fitted  $\Lambda_b^0$  yield:  $3125 \pm 62$  (stat) entries.

$\Rightarrow \Lambda_b^0$  Signal Window:

- The other  $\Lambda_b^0$ - components are normalized to  $\Lambda_b^0 \rightarrow \Lambda_c^+ \pi^-$  signal:
  - $\Lambda_b^0 \rightarrow \Lambda_c^{*+} \pi^-$ ,  $\Lambda_c^+ K^-$ ,  $\Lambda_c^+ \mu^- \bar{\nu}_\mu$  etc.
- The  $B$ -components are normalized to the  $B^0 \rightarrow D^+ \pi^-$ ,  $D^+ \rightarrow K^- \pi^+ \pi^+$  signal on *this*  $\Lambda_b^0$  sample with  $p$  hypothesis replaced with the  $\pi^+$  one.
- pure combinatorial background extrapolated from the upper side-band into the signal area.
- All  $\Lambda_b^0$ -components: 90.1%
- The  $B$ -components: 6.3%
- The random combinatorial backgr. component: 3.6%
- Use these weights to normalize the  $\Sigma_b$  backgrounds components in the Q-value spectra.
- The uncertainty of weights contributes to (syst)

10 –  $\Sigma_b$  Candidates: Blind Analysis

## ⇒ Reconstruction of Candidates

 $\Rightarrow \Sigma_b^-$ ,  $\Sigma_b^{*-} + \text{chrg. conj.}$  $\Rightarrow \Sigma_b^+$ ,  $\Sigma_b^{*+} + \text{chrg. conj.}$  $\Rightarrow \Sigma_b \rightarrow \Lambda_b^0 \pi_{\Sigma_b}^\pm + \text{chrg. conj.}$ 

- Based on a collection of reconstructed  $\Lambda_b^0$  cands:
- signal  $3\sigma$  window of " $\Lambda_b^0$ " [ $(\Lambda_c^+) \pi_b^-$ ]  $\in (5.565, 5.670)$  GeV/c<sup>2</sup>
- Couple " $\Lambda_b^0$ " with direct soft  $\pi_{\Sigma_b}$  with very loose quality reqs.
- [ $(\Lambda_b^0)_{\text{VxFit}}$   $\pi_{\Sigma_b}$ ]<sub>VxFit</sub>, NO  $M(\Lambda_b^0)$  constraint,  $\text{Prob}(\chi_{3D}^2) > 0.1\%$

- $\mathbf{Q} = \mathbf{M}(\Lambda_b^0 \pi_{\Sigma_b}^\pm) - \mathbf{M}(\Lambda_b^0) - \mathbf{M}_{\text{PDG}}(\pi^\pm)$
- **Blind signal region:**  $\mathbf{Q} \in (30, 100)$  MeV/c<sup>2</sup>
- **Right S.B.:**  $\mathbf{Q} \in (100, 500)$  MeV/c<sup>2</sup>
- **Left S.B.:**  $\mathbf{Q} \in (0, 30)$  MeV/c<sup>2</sup>

- The cuts to be applied and optimized while signal is blinded:
  - $p_T(\Sigma_b) > \text{cut};$
  - Significance of an impact parameter:  $|d_0/\sigma_{d_0}|(\pi_{\Sigma_b})$
  - Polar angle of the soft pion in a “ $\Sigma_b$ ”-rest frame:  
 $\cos \theta^*(\pi_{\Sigma_b}) = \vec{p}_{\Sigma_b} \cdot \vec{p}_\pi^*/(|\vec{p}_{\Sigma_b}| \cdot |\vec{p}_\pi^*|)$
- Optimize cuts maximizing  $\epsilon(S)/\sqrt(B)$
- Signal is taken from PYTHIA
- Background is taken from side bands of  $Q(\Sigma_b)$

⇒ Optimized cuts

Variable	Cut value
$p_T(\Sigma_b)$	$> 9.5 \text{ GeV}/c$
$ d_0/\sigma_{d_0} (\pi_{\Sigma_b})$	$< 3.0$
$\cos \theta^*(\pi_{\Sigma_b})$	$> -0.35$

⇒ Only  $\cos \theta^*(\pi_{\Sigma_b})$  has substantial

⇒ rejection power.

⇒ The composition of the background in  $Q(\Sigma_b)$ - value Spectra.

⇒ before unblinding...

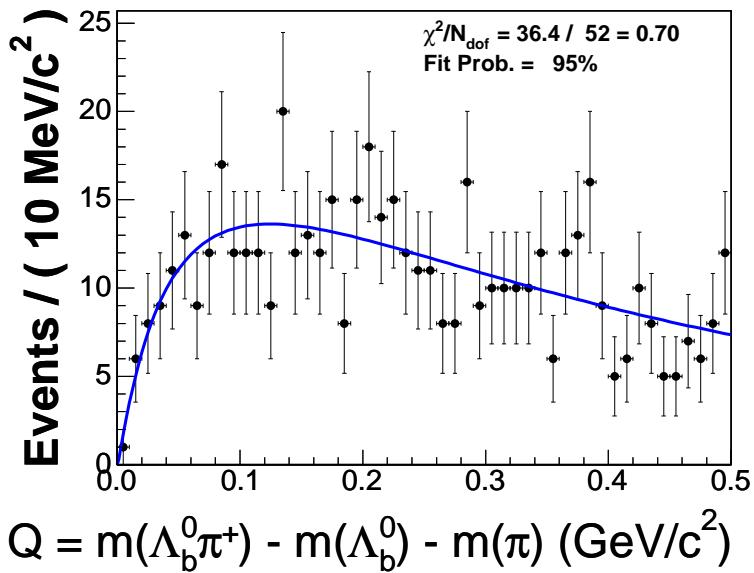
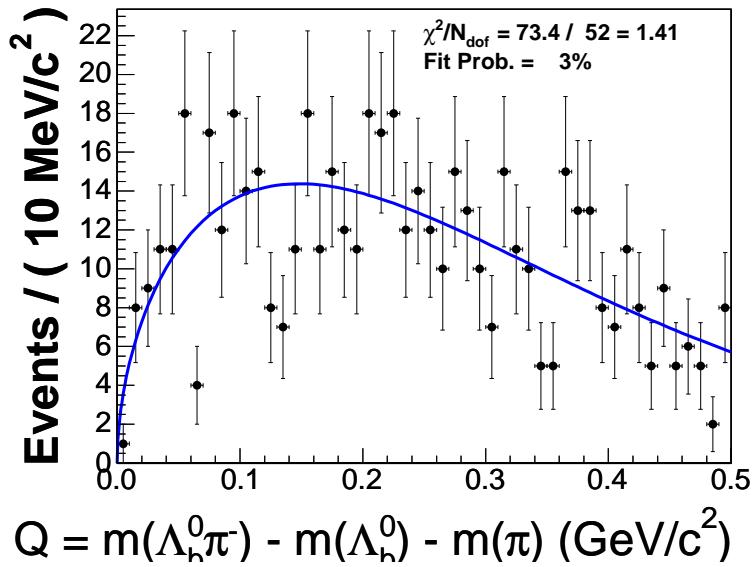
- $\Lambda_b^0$  hadronization:  $W = 90.1\%$ 
  - Use PYTHIA to analyze  $Q$ - Spectra of  $\Lambda_b^0 +$  soft rndm. track.  
**Dominating source.**
- $B$ - meson hadronization:  $W = 6.3\%$   
faked  $\Lambda_b^0 +$  soft random track.
  - use exper. data sample of reconstructed  $\overline{B^0} \rightarrow D^+ \pi_b^-$ ,  
 $D^+ \rightarrow K^- (\pi^+ \rightarrow p'') \pi^+$
- comb. backgr. underneath the  $\Lambda_b^0$  peak:  
 $W = 3.6\%$ ;  
 use Right S.B. of  
 $M(\Lambda_c^+ \pi^- \in [5.8, 7.0])$  of comb. bgr.

$$f(Q; \alpha, Q_{\max}, \gamma) = \left( \frac{Q}{Q_{\max}} \right)^{\alpha} e^{-\frac{\alpha}{\gamma} \left( \left( \frac{Q}{Q_{\max}} \right)^{\gamma} - 1 \right)}$$

Use alternative forms for (syst).

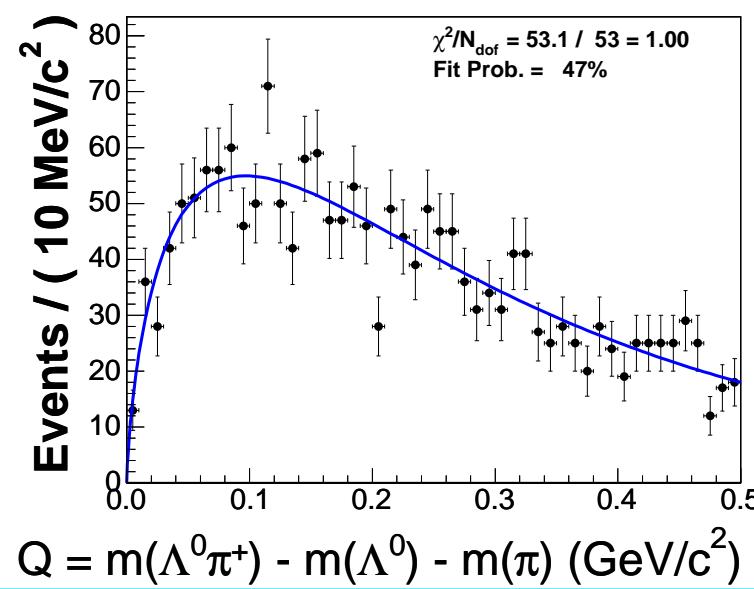
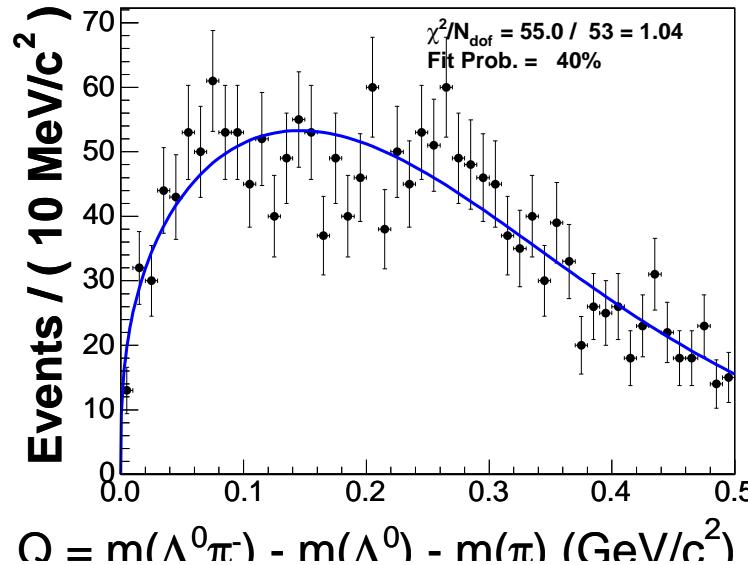
⇒ The combinatorial background:

CDF II Preliminary.  $L=1.1 \text{ fb}^{-1}$



⇒ The  $B^0$  Physical background:

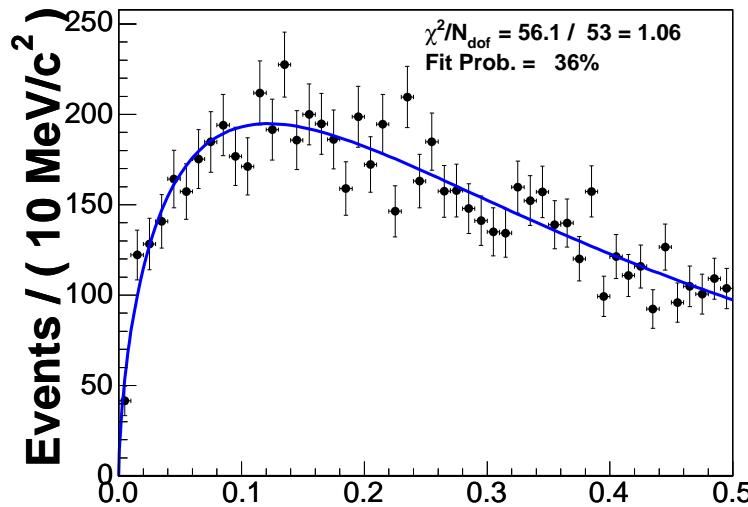
CDF II Preliminary.  $L=1.1 \text{ fb}^{-1}$



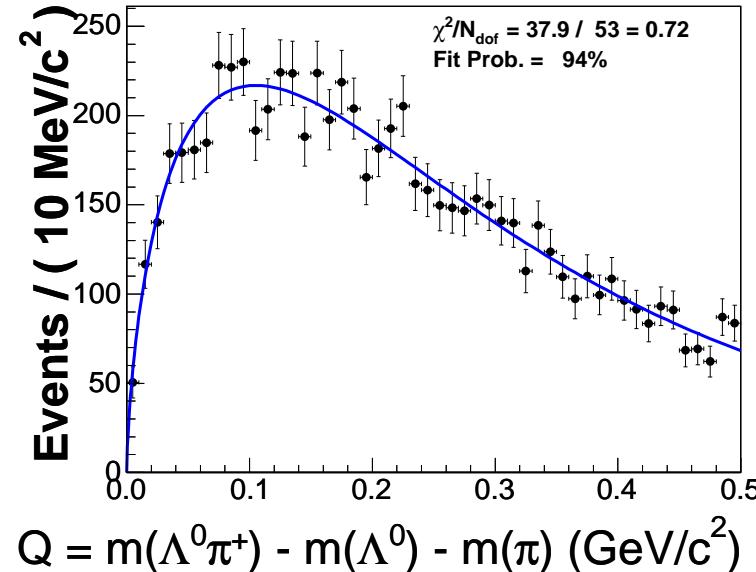
$\Rightarrow \Lambda_b^0$  Hadronization Background:

- $\Lambda_b^0 \rightarrow \Lambda_c^+ \pi^-$  PYTHIA sample.
- MC events reweighted: for  $p_T(\Lambda_b^0)$  spectrum to agree with data.
- MC events reweighted: for  $p_T(\pi_{\text{soft}})$  spectrum to agree with data.
- The MC  $Q$ - value spectrum is fitted with the same function.
- SMOOTH shape in the signal area.

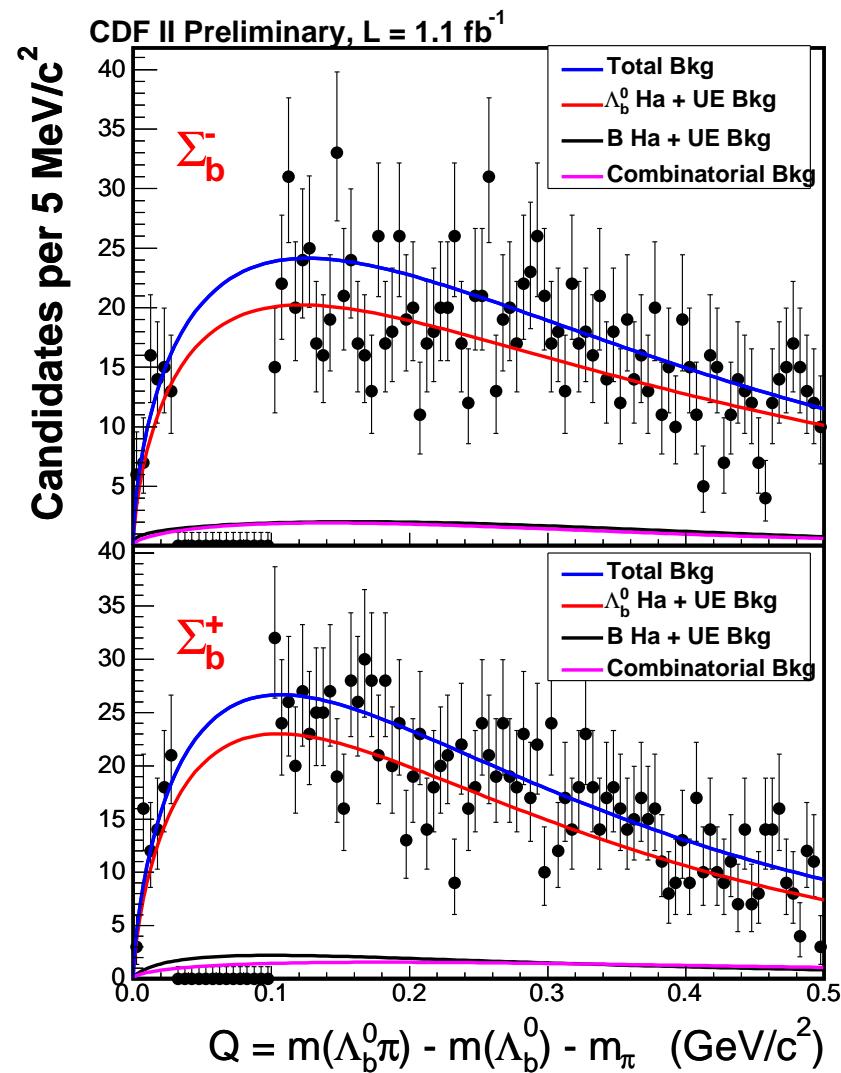
CDF II Preliminary,  $L=1.1 \text{ fb}^{-1}$



$$Q = m(\Lambda^0 \pi) - m(\Lambda^0) - m(\pi) (\text{GeV}/c^2)$$



- ⇒ The sources of background:
- ⇒ before unblinding...
- $\Lambda_b^0$  hadronization component is normalized to total(all modes) experimental yield :  
 $N^{\text{exp.}}(\Lambda_b^0) = 3180 \pm 180(\text{stat})$
- SMOOTH BGR. SHAPE in signal area!
- These contributions are fixed in  $\Sigma_b$  signal fits.

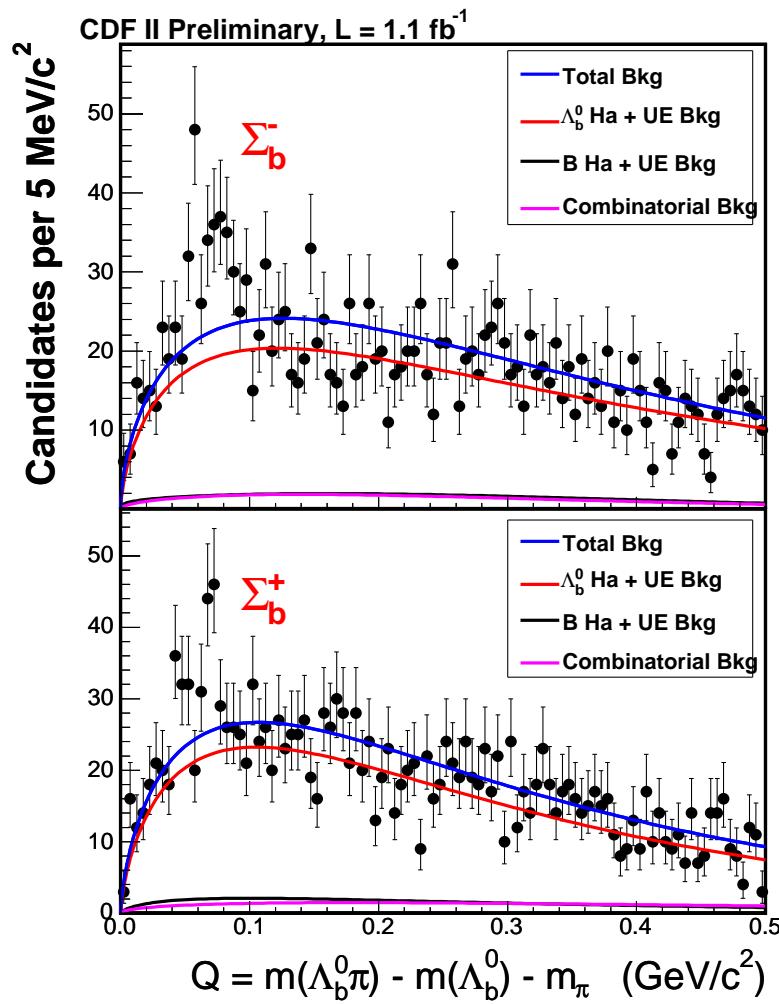


## 11 – $\Sigma_b$ Candidates: Unblinded

- ⇒ Upon unblinding the signal
- ⇒ in  $Q \in (30, 100) \text{ MeV}/c^2$
- ⇒ count number of evts:

Statistics	$\Lambda_b^0 \pi^-$	$\Lambda_b^0 \pi^+$
$S + B$	416	406
$B$	268	298
$S$	148	108
$S/\sqrt{S + B}$	7.3	5.4

- ⇒ The fit of the background
- ⇒ predicts  $B$  at signal area.
- ⇒ There is an excess in both spectra...



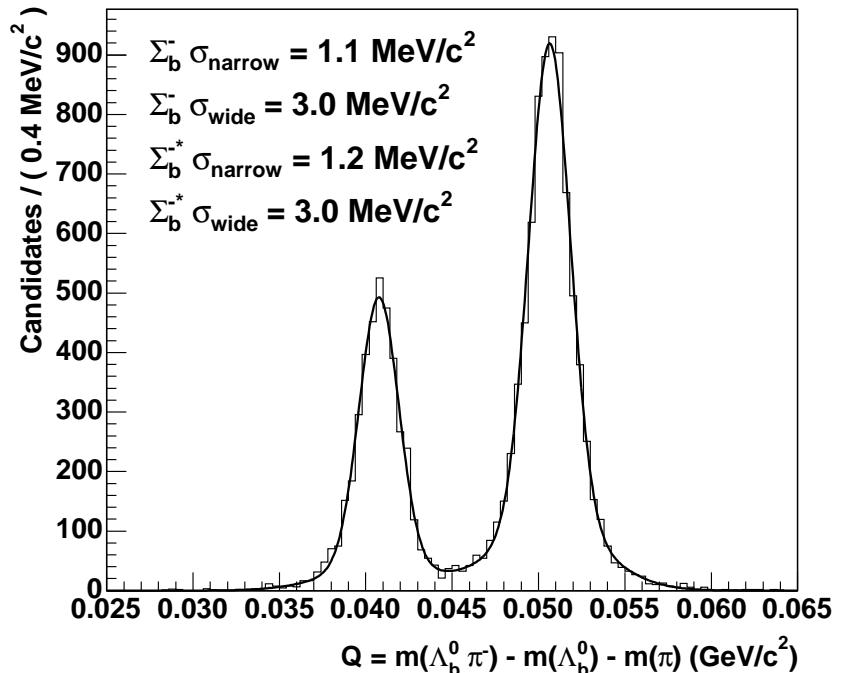
## 12 – Characterization of $\Sigma_b$ Spectra

⇒ The Signal  $Q(\Sigma_b^{(*)\pm})$ : Detector Resolution

- MC PYTHIA for  $\Sigma_b^{(*)\pm} \rightarrow \Lambda_b^0 \pi_{\Sigma_b}^\pm$ ,  
 $\Lambda_b^0 \rightarrow \Lambda_c^+ \pi_b^-$ ,  $\Lambda_c^+ \rightarrow p K^- \pi^+$ .
- Natural width set to:  $\Gamma(\Sigma_b^{(*)\pm}) = 0$ .
- Two Gaussians: a dominant narrow core, a small broad component for the tails.
- Compare MC width with exp. data for reconstructed reference states  $\Sigma_c^{0,++}$ ,  $D^{*+}$ .
- disagreement of 15 – 20% is taken as (syst).

CDF II Preliminary,  $L=1.1 \text{ fb}^{-1}$

Fit Prob. = 0.04%



⇒ **The Signal  $Q(\Sigma_b^{(*)\pm})$  Description:**

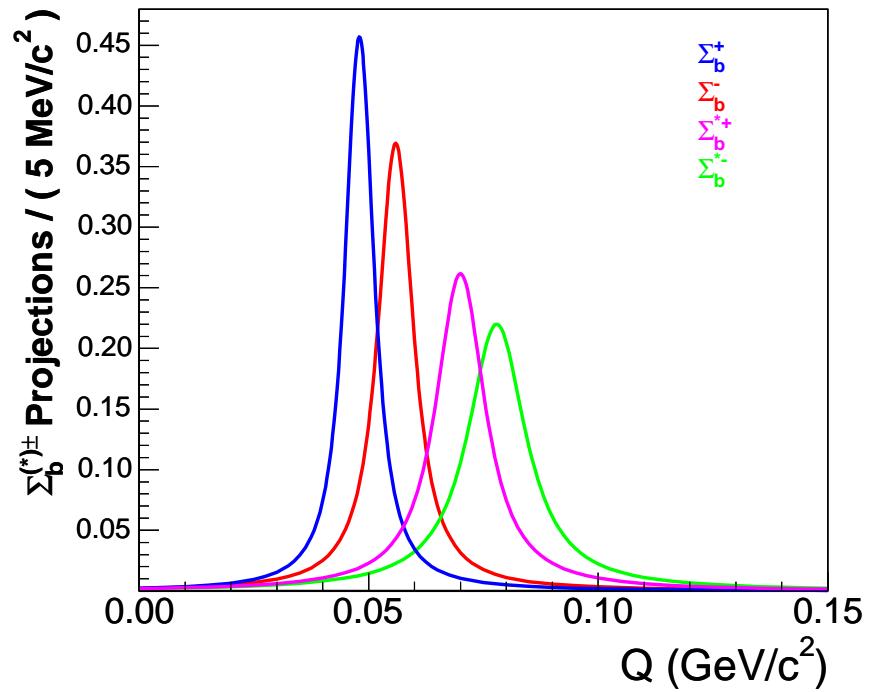
- Signal terms:

$$G_{1,2} \otimes BW(Q; Q_{\Sigma_b}, \sigma_{\Sigma_b}^{1,2}, \Gamma_{\Sigma_b}) +$$

$$G_{1,2} \otimes BW(Q; Q_{\Sigma_b^*}, \sigma_{\Sigma_b^*}^{1,2}, \Gamma_{\Sigma_b^*})$$

- The widths  $\Gamma(\Sigma_b^{(*)\pm})$  are calculated at  $Q_{\Sigma_b^{(*)\pm}}$  using HQET formula from Section 5 ( or Körner J G, Krämer M and Pirjol D 1994 *Prog. Part. Nucl. Phys.* **33** 787)
- The widths dominate over resolution.
- The larger  $M(\Sigma_b^{(*)})$  the wider gets a Breit-Wigner.

CDF II Preliminary,  $L=1.1 \text{ fb}^{-1}$



## ⇒ The Fits.

- **Signals: 2 peaks**

$\Sigma_b^-$ ,  $\Sigma_b^{*-}$  and 2 peaks  
 $\Sigma_b^+$ ,  $\Sigma_b^{*+}$ .

- 2 Breit-Wigners convoluted with 2 Gaussians

From HQET formula:  
 $\Gamma(Q_{\Sigma_b^{(*)\pm}})$

- **The shape and normalization of a background is frozen.**

- **Constraint:**

- $(\Sigma_b^{*+} - \Sigma_b^+) - (\Sigma_b^{*-} - \Sigma_b^-) \sim 0.40 \text{ MeV}$ , below our sensitivity.
- $Q(\Sigma_b^{*+}) - Q(\Sigma_b^+) = Q(\Sigma_b^{*-}) - Q(\Sigma_b^-)$ , for both charged cands.

- **Seven parameters floating:**

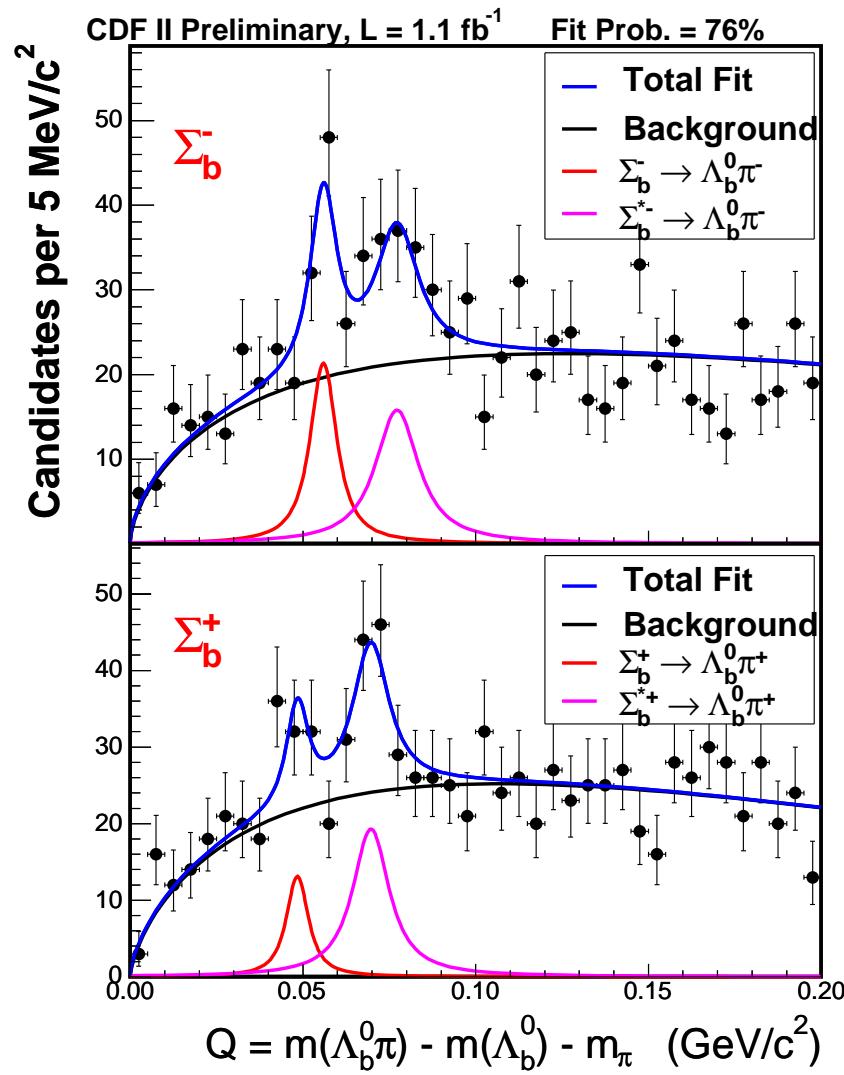
- $Q(\Sigma_b^-)$ ,  $Q(\Sigma_b^+)$
- $\Delta_{\Sigma_b^*} = Q(\Sigma_b^*) - Q(\Sigma_b)$
- Number of entries in every of 4 peaks:  $N(\Sigma_b^{(*)\pm})$
- **Perform a simultaneous unbinned negative likelihood fit using full statistics of both spectra.**

⇒  $-\ln(Lh)$  Fit Results:

Parameter	Value $\pm \delta(\text{stat})$
$Q(\Sigma_b^+) \text{ MeV}/c^2$	$48.2^{+1.9}_{-2.2}$
$Q(\Sigma_b^-) \text{ MeV}/c^2$	$55.9^{+1.0}_{-0.9}$
$\Delta_{\Sigma_b^*} = [Q(\Sigma_b^*) - Q(\Sigma_b)] \text{ MeV}/c^2$	$21.5^{+2.0}_{-1.9}$
$\Sigma_b^+$ events	$33^{+13}_{-12}$
$\Sigma_b^-$ events	$62^{+15}_{-14}$
$\Sigma_b^{*+}$ events	$82^{+17}_{-17}$
$\Sigma_b^{*-}$ events	$79^{+18}_{-18}$

⇒ Errors come from MINOS.

 ⇒  $\Sigma_b^+$  yield is weak ⇒

 ⇒  $Q(\Sigma_b^+)$  has large correlation with  
 $\Delta_{\Sigma_b^*}$ 


13 –  $\Sigma_b$ : Systematics

## ⇒ Contributions to Systematics

- Tracking, due to the calibration
  - Check out  $M(D^{*+}) - M(D^0)$
  - $\Delta M(\text{data}) - \Delta M(\text{MC}),$   
 $\sim 0.06 \text{ MeV}/c^2$
- Assumptions of the Fit.
  - The predicted width fitted to  $\Sigma_c$  PDG,  
 $g_A = 0.75 \pm 0.05$
  - The constraint that  $\Delta_{\Sigma_b^{*+}} = \Delta_{\Sigma_b^{*-}}$ .  
The equality is skewed by  
 $\sim 0.5 \text{ MeV}/c^2$ .
  - Uncertainty of resolution  $\sigma_{\Sigma_b^{(*)}}^{1,2}$  (from CDF MC sim.)
  - Uncertainty of the weights of the  $\Lambda_b^0$  background components.

## ⇒ Assumptions of the Fit cont-d ...

- Normalization of the  $\Lambda_b^0$  hadronization background.
- Use another functional form of the background PDF.
- Extreme reweighting of  $p_T(\text{track})$  in PYTHIA.
- Mass measurements: (syst) uncertainties are much smaller than (stat) ones.
- Signal yields: (syst) errors are comparable with the (stat) ones.
- The largest contribution to a yield (syst) comes from the track reweighting in PYTHIA.

⇒ Signal Yields with Systematics Included:

⇒ Number of events for each state:

$$N(\Sigma_b^+) = 33^{+13}_{-12} \text{ (stat.)}^{+5}_{-3} \text{ (syst.)}$$

$$N(\Sigma_b^-) = 62^{+15}_{-14} \text{ (stat.)}^{+9}_{-4} \text{ (syst.)}$$

$$N(\Sigma_b^{*+}) = 82^{+17}_{-17} \text{ (stat.)}^{+10}_{-6} \text{ (syst.)}$$

$$N(\Sigma_b^{*-}) = 79^{+18}_{-18} \text{ (stat.)}^{+16}_{-5} \text{ (syst.)}$$

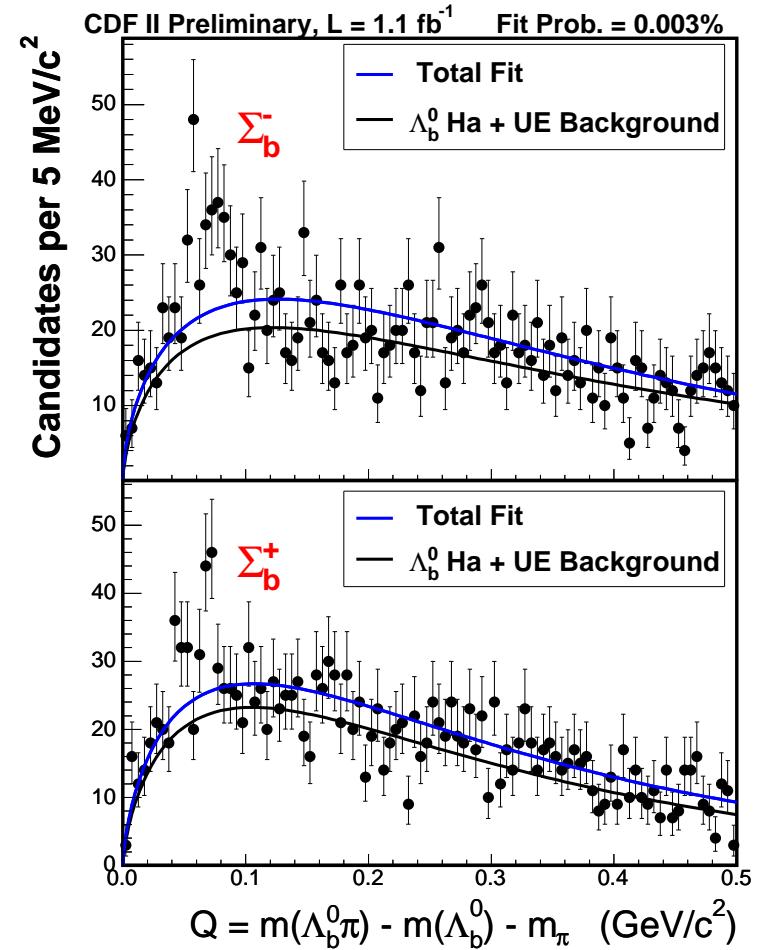
## 14 – $\Sigma_b$ : Significance of the Signals

- In total a very significant signal:
  - Naive estimation with  $S/\sqrt{S+B}$  gives  $\sim 9\sigma$
  - p-value estimates: statistical Monte-Carlo pseudo-experiments.
    - Hard to reach  $9\sigma$  level.
- Prove the strength of 4-peak  $\Sigma_b^{(*)\pm}$  hypothesis using Likelihood Ratio LR :

$$LR \equiv \frac{L_{4 \text{ peak fit}}}{L_{\text{no peak fit}}}$$

- $L_{\text{no peak fit}}$  corresponds to the least favorable to 4  $\Sigma_b$  peak hypothesis (using (syst) variations of bgr. and signal PDFs).

Hypothesis	$\Delta(-\ln L)$	$\sqrt{2 \cdot \Delta(-\ln L)}$
Null	<b>42.9</b>	<b>9.3</b>
2 peaks	14.1	5.3
No $\Sigma_b^-$ Pk.	9.8	4.4
No $\Sigma_b^+$ Pk.	1.8	1.9
No $\Sigma_b^{*-}$ Pk.	9.1	4.3
No $\Sigma_b^{*+}$ Pk.	10.7	4.6



⇒ Fit with Null Hypothesis.

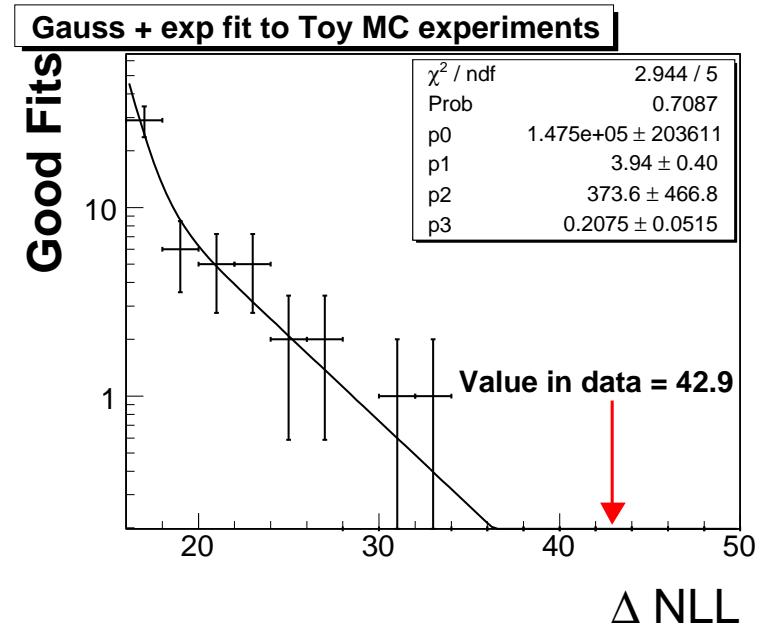
⇒ Running Statistical Experiments: Toy MC

Hypothesis	$\Delta(-\ln L)$	$p$ -value
Null	42.9	$6.4 \cdot 10^{-8}$

⇒ that it is here for a 4-peak  $\Sigma_b^{(*)\pm}$

⇒ the NULL hypothesis is excluded

⇒ at least at the  $5\sigma$  level.



- ⇒ The  $\Delta(-\ln L)$  distribution
- ⇒ for the NULL signal Toy MC samples.
- ⇒ The largest value in Toy MC
- ⇒ is below 34
- ⇒ Extrapolate tail with Gaus+Exp
- ⇒ This gives us  $6.4 \cdot 10^{-8}$

## 15 – Summary

- The lowest lying charged  $\Lambda_b^0 \pi^\pm$  resonant states are observed in  $\mathcal{L} \simeq 1.1 \text{ fb}^{-1}$  of CDF II data
  - $\sim 256$  events in total.
- The widths and masses are consistent with the lowest lying charged  $\Sigma_b^{(*)\pm}$  baryons.
- The Q values of  $\Sigma_b^-$  and  $\Sigma_b^+$ , and the  $\Sigma_b^* - \Sigma_b$  mass difference, are measured to be:
  - $M(\Sigma_b^-) - M(\Lambda_b^0) - M(\pi) = 55.9_{-0.9}^{+1.0}(\text{stat})_{-0.1}^{+0.1}(\text{syst}) \text{ MeV}/c^2$
  - $M(\Sigma_b^+) - M(\Lambda_b^0) - M(\pi) = 48.2_{-2.2}^{+1.9}(\text{stat})_{-0.2}^{+0.1}(\text{syst}) \text{ MeV}/c^2$
  - $M(\Sigma_b^{*-}) - M(\Sigma_b^-) = M(\Sigma_b^{*+}) - M(\Sigma_b^+) =$   
 $= 21.5_{-1.9}^{+2.0}(\text{stat})_{-0.3}^{+0.4}(\text{syst}) \text{ MeV}/c^2$
- This result represents the first observation of the  $\Sigma_b^{(*)}$  baryons.

*THE END OF THE TALK.*

**16 – Backup Slides...**

$$\Rightarrow \mathbf{j}_{qq} = \mathbf{s}_{qq} + \mathbf{L}_{qq}$$

$$\Rightarrow \mathbf{J}_{Qqq} = \mathbf{s}_Q + \mathbf{j}_{qq}$$

- **Ground states**,  $L_{qq} = 0$

- Total  $qq$  momentum  $j_{qq}$ :

$$\frac{1}{2}^+ \otimes \frac{1}{2}^+ \rightarrow \mathbf{0}^+ \oplus \mathbf{1}^+$$

- $\mathbf{0}^+ \otimes \frac{1}{2}^+ \rightarrow \frac{1}{2}^+$ ,  $\Lambda_Q$ - like states

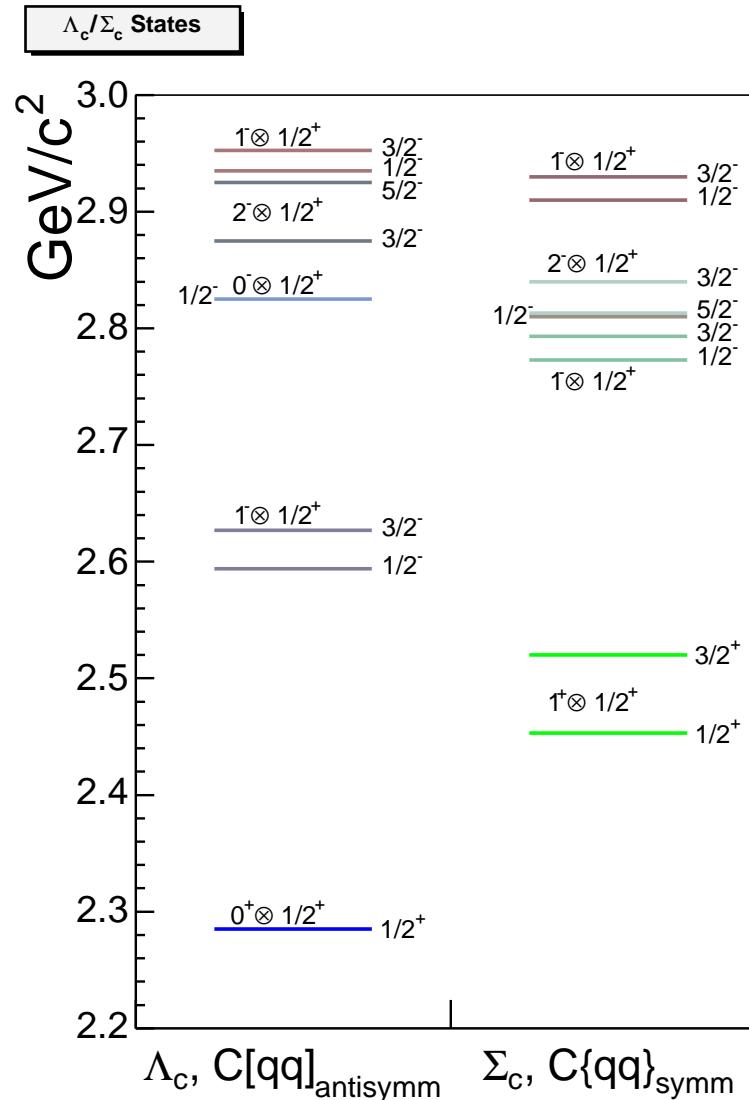
- $\mathbf{1}^+ \otimes \frac{1}{2}^+ \rightarrow \frac{1}{2}^+ \oplus \frac{3}{2}^+$ ,  $\Sigma_Q$ - like states.

- $m_Q \rightarrow \infty$ :  $(\Sigma_Q, \Sigma_Q^*)$  degenerates, but...

- $m_Q$  is finite: splitting due to  $s_Q \cdot s_{qq}$  interaction.

- $I = 1$ :  $(\Sigma_Q^{(*)-}, \Sigma_Q^{(*)+})$  isospin splitting.

- $L_{qq} = 1$ , orbital  $qq$  excitations add more **higher lying states due to  $s \cdot L$**



⇒ The picture is based on  
L. A. Copley *et al.*, Phys. Rev. D **20**, 768(1979)

## ⇒ Reconstruction of Candidates

$$\Lambda_b^0 \rightarrow \Lambda_c^+ \pi_b^-, \quad \Lambda_c^+ \rightarrow p K^- \pi^+$$

- $\mathcal{L} = 1070 \pm 60 \text{ pb}^{-1}$  with Two displaced Track Trigger
- The trigger conditions are confirmed for any 2 out of 4 tracks ( $pK^- \pi^+, \pi_b^-$ )
- 3-d Vertex Fit for " $\Lambda_c^+$ " ( $pK^- \pi^+$ ) constrained to  $M_{PDG}(\Lambda_c^+)$
- 3-d Vertex Fit for " $\Lambda_b^0$ " ( $\Lambda_c^+ \pi_b^-$ )
- $L_{xy}$  and  $d_0$  are decay path and I.P. of  $\Lambda_b^0$  vertex.
- $c\tau = L_{xy} \cdot (M/p_T)_{\Lambda_b^0}$
- **Optimize cuts to get max. of  $S/\sqrt{(S+B)}$**

$p_T(\pi_b^-)$	$> 2 \text{ GeV}/c$
$p_T(p)$	$> 2 \text{ GeV}/c$
$p_T(p)$	$> p_T(\pi^+)$
$p_T(K^-)$	$> 0.5 \text{ GeV}/c$
$p_T(\pi^+)$	$> 0.5 \text{ GeV}/c$
$c\tau(\Lambda_b^0)$	$> 250 \mu\text{m}$
$c\tau(\Lambda_b^0)/\sigma_{c\tau}$	$> 10$
$ d_0(\Lambda_b^0) $	$< 80 \mu\text{m}$
$c\tau(\Lambda_c^+ \leftarrow \Lambda_b^0)$	$> -70 \mu\text{m}$
$c\tau(\Lambda_c^+ \leftarrow \Lambda_b^0)$	$< 200 \mu\text{m}$
$ \Delta_{\Lambda_c^+} M(pK^- \pi^+) $	$< 16 \text{ MeV}/c^2$
$p_T(\Lambda_b^0)$	$> 6.0 \text{ GeV}/c$
$p_T(\Lambda_c^+)$	$> 4.5 \text{ GeV}/c$
$\text{Prob}(\chi_{3D}^2; \Lambda_b^0)$	$> 0.1\%$

⇒ The systematics is summarized in a table below:

Parameter	Track.	$\Lambda_b^0$ Comp.	$\Lambda_b^0$ Nrm.	$\Lambda_b^0$ Shp.	Rewght.	Reso.	$\Sigma_b$ Width	Total
$Q(\Sigma_b^+)$ MeV/ $c^2$	0.06 -0.06	0.03 0.0	0.013 -0.013	0.013 0.0	0.0 -0.11	0.0 -0.014	0.01 -0.02	<b>0.07</b> <b>-0.13</b>
$Q(\Sigma_b^-)$ MeV/ $c^2$	0.06 -0.06	0.0 -0.03	0.009 -0.002	0.0 -0.011	0.04 -0.0004	0.0 -0.011	0.009 -0.005	<b>0.07</b> <b>-0.07</b>
$Q(\Sigma_b^*)$ $- Q(\Sigma_b)$	0.06 -0.06	0.05 0.0	0.14 -0.13	0.04 0.0	0.32 0.0	0.02 0.0	0.07 -0.07	<b>0.37</b> <b>-0.16</b>
$\Sigma_b^+$ evts	0.0 0.0	3.3 0.0	2.1 -2.1	1.2 0.0	<b>2.3</b> <b>-1.8</b>	0.3 0.0	1.8 -2.0	5.0 -3.4
$\Sigma_b^-$ evts	0.0 0.0	0.7 0.0	2.2 -2.2	0.3 0.0	<b>7.4</b> <b>0.0</b>	0.3 0.0	3.4 -3.4	8.5 -4.0
$\Sigma_b^{*+}$ evts	0.0 0.0	7.3 0.0	4.8 -4.8	2.8 0.0	<b>4.6</b> <b>-2.9</b>	0.2 0.0	0.8 -0.8	10.3 -5.7
$\Sigma_b^{*-}$ evts	0.0 0.0	0.4 0.0	4.8 -4.7	0.3 0.0	<b>14.7</b> <b>0.0</b>	0.1 0.0	1.7 -1.7	15.6 -5.0



Track  $p_T$  reweighting is largest for yields...

⇒ While total systematics for mass measurements is small.